

- I. 1e ; 2c; 3a; 4b; 5c; 6b; 7c; 8d; 9e; 10d
- II. a) distance = v(horiz) t
 so $t = d/v(\text{horiz}) = 200 \text{ Km} / 1 \text{ (Km/s)} = \underline{200 \text{ sec}}$
 b) reach max ht in half the total time or 100 sec
 c) max ht = $\frac{1}{2} g t^2 = 0.5 \times 9.8 (\text{m/s}^2) \times (100 \text{ s})^2 = 4.9 \times 10^4 \text{ m} = 49 \text{ Km}$
 d) Consider the clock on the ground at the time of impact. It reads 200 sec.
 According to the rocket, that clock is moving and runs slow. The corresponding rocket clock will read $t \times \gamma = t \div \sqrt{(1-v^2/c^2)} = 200 \div \sqrt{(1-(0.8)^2)} = 200/0.6 = \underline{330 \text{ sec}}$
 e) distance measured by the rocket is contracted
 $= d/\gamma = 200 \text{ Km} \times 0.6 = \underline{120 \text{ Km}}$
- III. a) $E_n = -13.6 \text{ eV} / n^2$ so $E_3 = -13.6/9 \text{ eV}$ and $E_1 = -13.6 \text{ eV}$
 Then $E(\text{photon}) = -13.6 \times (1/9 - 1) = \underline{12.1 \text{ eV}}$
 b) $E(\text{photon}) = h f$, so $f = E(\text{photon})/h = 12.1 \text{ eV} / 4.1 \times 10^{-15} \text{ eV}\cdot\text{s} = \underline{2.95 \times 10^{15} \text{ s}^{-1}}$
 c) 1 Watt = 1 J/s. To get 1 Joule of photon energy note that
 1 Joule = $(1/1.6 \times 10^{-19}) \text{ eV} = 6.25 \times 10^{18} \text{ eV}$
 Then have number of photons is
 $6.25 \times 10^{18} \text{ eV} / (12.1 \text{ eV/photon}) = \underline{5.17 \times 10^{18} \text{ photons per sec.}}$
- IV. a) Dow went up 27 times in 53 days, or prob = $27/53 = \underline{0.509}$ to go up in one day.
 b) Up, up, up is one combination out of 8 possibilities in 3 days, so
 if up and down had same probability the result would be
 $\text{prob} = (1/2)^3 = 1/8$
 BUT they have different probabilities so prob $(0.509)^3 = \underline{0.13 = 13\%}$
 (This is the same as using the formula $n!/((n-k)!k!) p^k(1-p)^{n-k}$ with $n=3$, $k=3$.)
 c) To go up only once in 3 days there are 3 combs in 8 possibilities, so again,
 if up and down were equal probabilities the result would be 3/8.
 But with different probabilities for up and down
 $\text{prob} = 3 \times (0.509)^1 \times (0.491)^2 = \underline{0.37 = 37\%}$
 (Note that $1-0.509=0.491$ is the prob of Dow on a single day
 not going up or prob to go down.)
 (This is the same as using the formula $n!/((n-k)!k!) p^k(1-p)^{n-k}$ with $n=3$, $k=1$.)
- V. a) 500 MegaWatt = $5.0 \times 10^8 \text{ Watt} = 5.0 \times 10^8 \text{ J/s}$
 In 1 year $E = 5.0 \times 10^8 \text{ (J/s)} \times 3.2 \times 10^7 \text{ s} = \underline{1.6 \times 10^{16} \text{ J}}$
 b) $1.6 \times 10^{16} \text{ J} / 1.6 \times 10^{13} \text{ (J/MeV)} = \underline{1.0 \times 10^{29} \text{ MeV}}$
 c) The fission reactions need to produce that amount of electrical energy, but
 because of 20% efficiency the reactions actually need to provide $1/0.20 = 5$ times more
 energy or $5.0 \times 10^{29} \text{ MeV}$. Then need
 $5.0 \times 10^{29} \text{ MeV} / (200 \text{ MeV/reaction}) = \underline{2.5 \times 10^{27} \text{ reactions}}$
 d) 2/3 of reactions form Pu239 or 1.7×10^{27} Pu nuclei formed.
 That is $1.7 \times 10^{27} / 6.0 \times 10^{23} = 2.8 \times 10^3$ moles
 0.239 Kg in one mole, so $0.239 \times 2.8 \times 10^3 = \underline{670 \text{ Kg of Pu239.}}$
 e) Activity = $(0.69/T_{1/2}) N$
 $T_{1/2} = 2.44 \times 10^4 \text{ yr} \times 3.2 \times 10^7 \text{ s/yr} = 7.8 \times 10^{11} \text{ s}$
 So Activity = $(0.69/7.8 \times 10^{11} \text{ s}) \times 1.7 \times 10^{27} \text{ decaying Pu nuclei}$
 $= 1.5 \times 10^{15} \text{ (decay/sec)} / (3.7 \times 10^{10} \text{ decay/sec/Ci})$
 $= \underline{4.1 \times 10^4 \text{ Ci}}$ (that is a huge activity)